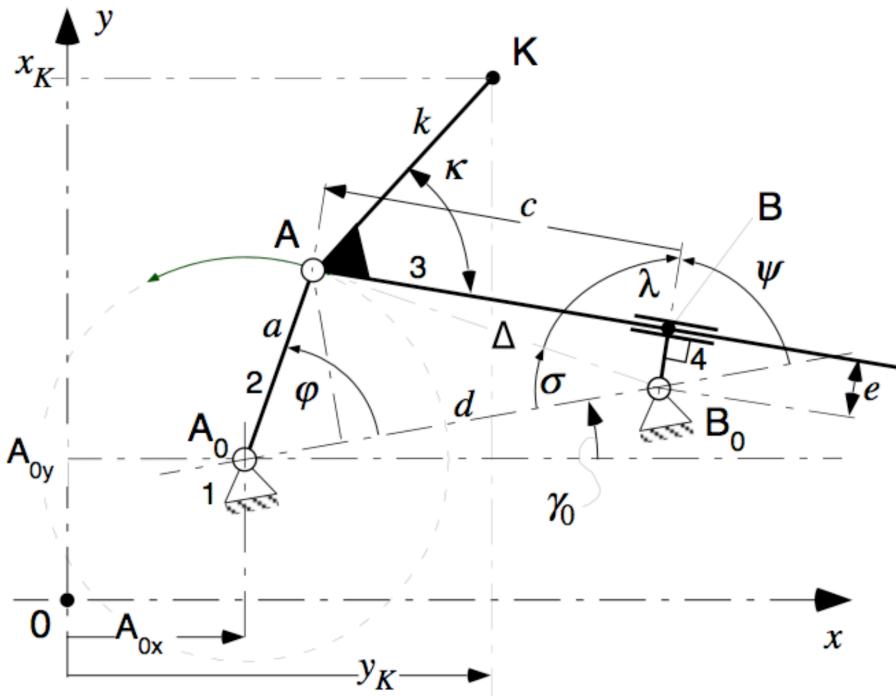


Eccentric Crank-Shaper Mechanisms - Table 2-13

```
<<Version5`Graphics`  
  
Get::noopen : Cannot open Version5`Graphics` . Mehr...  
  
$Failed
```



```

Clear[par, φ, ψ, ψ1, ψ2, φ0, ψ0, a, b, c, d];

par1 = {a → 18, d → 38, e → 5, k → 24, x → 55 Degree, A0x → 0, A0y → 0, γ0 → 0}

{a → 18, d → 38, e → 5, k → 24, x → 55°, A0x → 0, A0y → 0, γ0 → 0}

```

■ crank-shaper mechanism: Basic functions

```

 $\sigma = \text{ArcTan}[a \sin[\varphi]/(d-a \cos[\varphi])]$ 
 $\Delta = \text{Simplify}[\sqrt{(a \sin[\varphi])^2 + (d-a \cos[\varphi])^2}]$ 
 $\lambda = \text{Simplify}[\text{ArcCos}[e/\Delta]]$ 
 $\psi = \pi - (\sigma + \lambda)$ 

 $\text{ArcTan}\left[\frac{a \sin[\varphi]}{d - a \cos[\varphi]}\right]$ 

 $\sqrt{a^2 + d^2 - 2 a d \cos[\varphi]}$ 

 $\text{ArcCos}\left[\frac{e}{\sqrt{a^2 + d^2 - 2 a d \cos[\varphi]}}\right]$ 

 $\pi - \text{ArcCos}\left[\frac{e}{\sqrt{a^2 + d^2 - 2 a d \cos[\varphi]}}\right] - \text{ArcTan}\left[\frac{a \sin[\varphi]}{d - a \cos[\varphi]}\right]$ 

 $\mathbf{fc} = \text{Sqrt}[\Delta^2 - e^2]$ 

 $\sqrt{a^2 + d^2 - e^2 - 2 a d \cos[\varphi]}$ 

 $\mathbf{my} = 3/2 \pi - \varphi - \sigma - \lambda$ 

 $\frac{3 \pi}{2} - \varphi - \text{ArcCos}\left[\frac{e}{\sqrt{a^2 + d^2 - 2 a d \cos[\varphi]}}\right] - \text{ArcTan}\left[\frac{a \sin[\varphi]}{d - a \cos[\varphi]}\right]$ 

 $\mathbf{fctmy[f_]:= If[Abs[f]>Pi/2, Pi-Abs[f], Abs[f]]};$ 

 $\mathbf{xK} = A0x + a \cos[\varphi + \gamma0] + k \cos[\kappa + \gamma0 - \pi/2 + \psi]$ 
 $\mathbf{yK} = A0y + a \sin[\varphi + \gamma0] + k \sin[\kappa + \gamma0 - \pi/2 + \psi]$ 

 $A0x + a \cos[\gamma0 + \varphi] + k \sin[\gamma0 + \kappa + \psi]$ 

 $A0y - k \cos[\gamma0 + \kappa + \psi] + a \sin[\gamma0 + \varphi]$ 

```

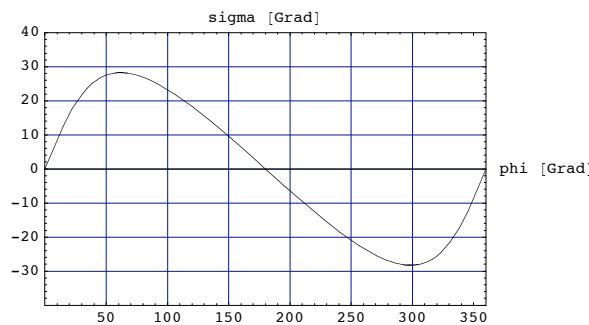
■ Evaluations

```

 $\frac{f\psi}{\phi} /. \text{par1} /.$ 
 $\pi - \text{ArcCos}\left[\frac{5}{\sqrt{1768-1368 \cos(\phi)}}\right] - \text{ArcTan}\left[\frac{18 \sin(\phi)}{38-18 \cos(\phi)}\right]$ 

 $\varphi = \text{phiG} * \text{Degree};$ 
 $\text{Plot}\left[\frac{\sigma}{\phi} /. \text{par1}, \{\text{phiG}, 0, 360\}, \text{Frame} \rightarrow \text{True}, \text{GridLines} \rightarrow \text{Automatic},$ 
 $\text{AxesLabel} \rightarrow \{"\phi \text{ [Grad]}", \text{None}\}, \text{PlotLabel} \rightarrow "\sigma \text{ [Grad]}", \text{PlotRange} \rightarrow \{\{0, 360\}, \{-40, 40\}\}\right];$ 
 $\varphi = .;$ 

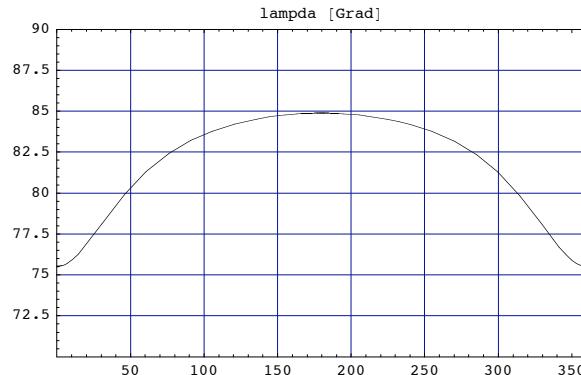
```



```

 $\varphi = \text{phiG} * \text{Degree};$ 
 $\text{Plot}\left[\frac{\lambda}{\phi} /. \text{par1}, \{\text{phiG}, 0, 360\}, \text{Frame} \rightarrow \text{True}, \text{GridLines} \rightarrow \text{Automatic},$ 
 $\text{AxesLabel} \rightarrow \{"\phi \text{ [Grad]}", \text{None}\}, \text{PlotLabel} \rightarrow "\lambda \text{ [Grad]}", \text{PlotRange} \rightarrow \{\{0, 360\}, \{70, 90\}\}\right];$ 
 $\varphi = .;$ 

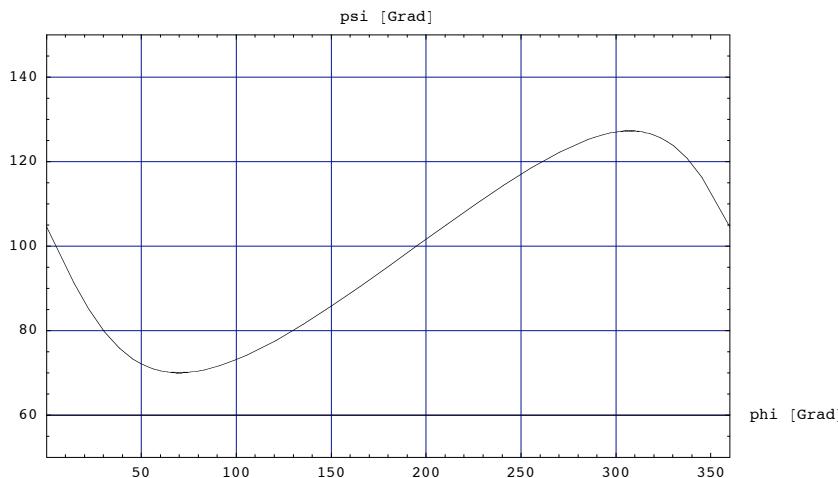
```



```

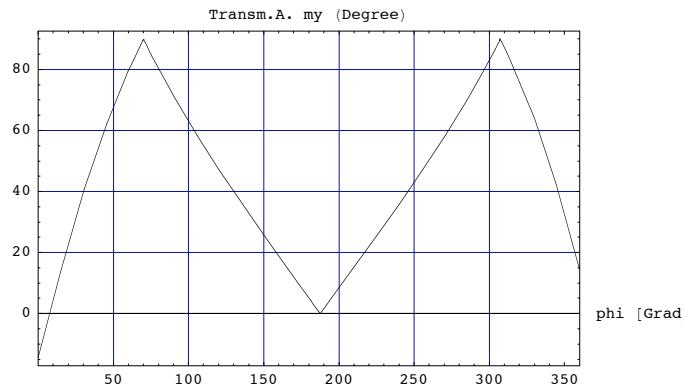
 $\varphi = \text{phiG} * \text{Degree};$ 
 $\text{Plot}\left[\frac{f\psi}{\phi} /. \text{par1}, \{\text{phiG}, 0, 360\}, \text{Frame} \rightarrow \text{True}, \text{GridLines} \rightarrow \text{Automatic},$ 
 $\text{AxesLabel} \rightarrow \{"\phi \text{ [Grad]}", \text{None}\}, \text{PlotLabel} \rightarrow "\psi \text{ [Grad]}", \text{PlotRange} \rightarrow \{\{0, 360\}, \{50, 150\}\}\right];$ 
 $\varphi = .;$ 

```

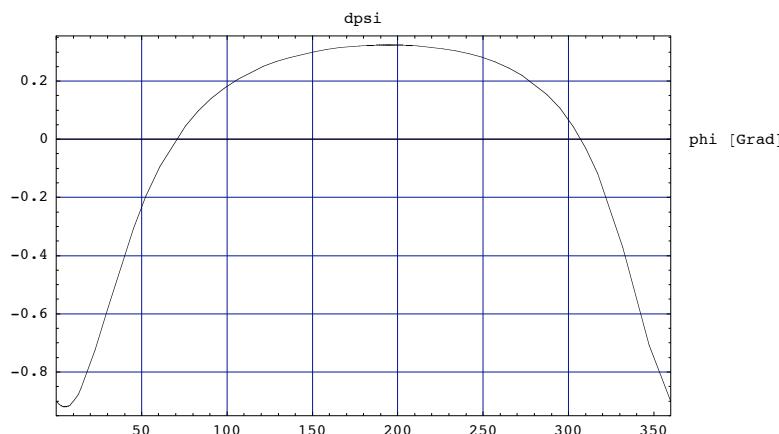


```
fctmy[my /. par1 /. φ → 0] // N
-0.25268

φ = phiG * Degree;
Plot[fctmy[my /. par1] / Degree, {phiG, 0, 360}, Frame → True, GridLines → Automatic,
AxesLabel → {"phi [Grad]", None}, PlotLabel → "Transm.A. my (Degree)", PlotRange → {{0, 360}, Automatic}];
φ =.;
```



```
dfψ = D[fψ, φ];
φ = phiG * Degree;
Plot[dfψ /. par1, {phiG, 0, 360}, Frame → True, GridLines → Automatic,
AxesLabel → {"phi [Grad]", None}, PlotLabel → "dpsi", PlotRange → {{0, 360}, Automatic}];
φ =.;
```



```
erg1 = Solve[(dfψ /. par1) == 0, φ] // N
{{φ → 1.22164}, {φ → -0.9207} }

phierg = φ / Degree /. erg1[[1]]
69.9948

fψ / Degree /. par1 /. φ → phierg Degree
69.9948

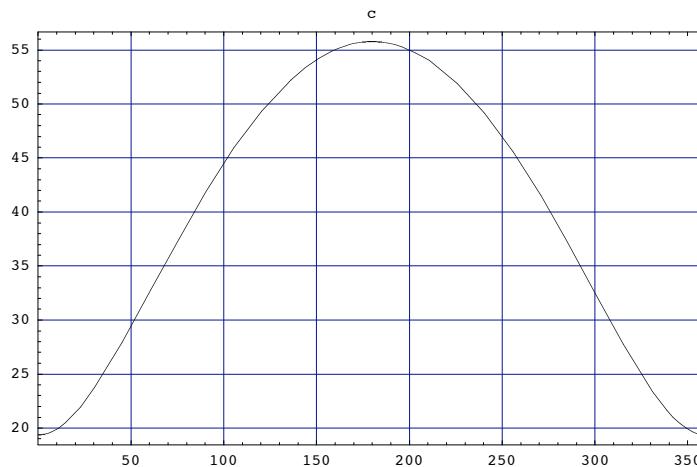
phierg = (2 Pi + φ) / Degree /. erg1[[2]]
307.248

fψ / Degree /. par1 /. φ → phierg Degree
127.248
```

```

 $\varphi = \text{phiG} * \text{Degree};$ 
 $\text{Plot}[fc /. \text{par1}, \{\text{phiG}, 0, 360\}, \text{Frame} \rightarrow \text{True}, \text{GridLines} \rightarrow \text{Automatic},$ 
 $\text{AxesLabel} \rightarrow \{"\phi [\text{Grad}]", \text{None}\}, \text{PlotLabel} \rightarrow "c", \text{PlotRange} \rightarrow \{\{0, 360\}, \text{Automatic}\}];$ 
 $\varphi = .;$ 

```



fc

$$\sqrt{a^2 + d^2 - e^2 - 2 ad \cos[\varphi]}$$

dfc = D[fc, φ]

$$\frac{ad \sin[\varphi]}{\sqrt{a^2 + d^2 - e^2 - 2 ad \cos[\varphi]}}$$

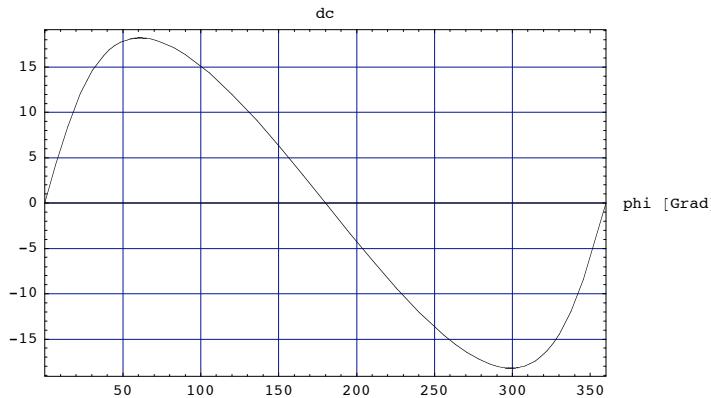
dfc /. φ → 0

0

```

 $\varphi = \text{phiG} * \text{Degree};$ 
 $\text{Plot}[dfc /. \text{par1}, \{\text{phiG}, 0, 360\}, \text{Frame} \rightarrow \text{True}, \text{GridLines} \rightarrow \text{Automatic},$ 
 $\text{AxesLabel} \rightarrow \{"\phi [\text{Grad}]", \text{None}\}, \text{PlotLabel} \rightarrow "dc", \text{PlotRange} \rightarrow \{\{0, 360\}, \text{Automatic}\}];$ 
 $\varphi = .;$ 

```



erg1 = FindRoot[(dfc /. par1) == 0, {φ, Pi}]

$$\{\varphi \rightarrow 3.14159\}$$

phierg = φ / Degree /. erg1[[1]]

180.

fc /. par1 /. φ → phierg Degree

55.7763

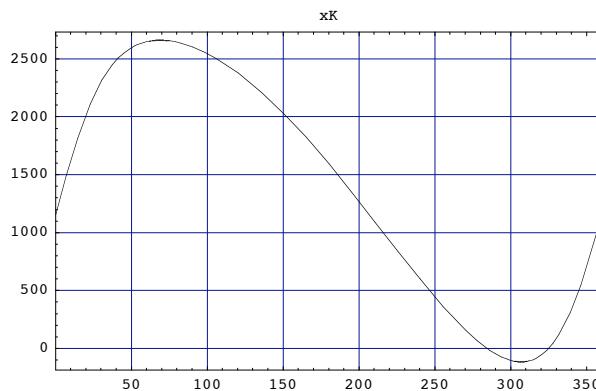
xK /. ψ → fψ /. par1

$$18 \cos[\varphi] - 3240 \sin[55^\circ - \text{ArcCos}\left[\frac{5}{\sqrt{1768 - 1368 \cos[\varphi]}}\right]] - \text{ArcTan}\left[\frac{18 \sin[\varphi]}{38 - 18 \cos[\varphi]}\right]$$

```

 $\varphi = \text{phiG} * \text{Degree};$ 
 $\text{Plot}[xK /. \psi \rightarrow f\psi /. \text{par1}, \{\text{phiG}, 0, 360\}, \text{Frame} \rightarrow \text{True}, \text{GridLines} \rightarrow \text{Automatic},$ 
 $\text{AxesLabel} \rightarrow \{"\phi [\text{Grad}]", \text{None}\}, \text{PlotLabel} \rightarrow "xK", \text{PlotRange} \rightarrow \{\{0, 360\}, \text{Automatic}\}];$ 
 $\varphi = .;$ 

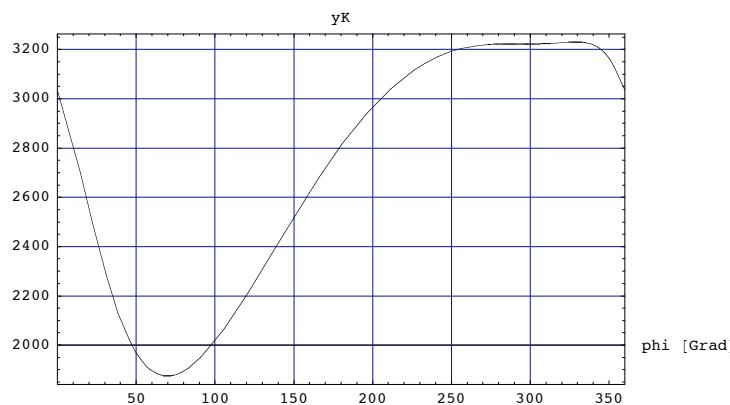
```



```

 $\varphi = \text{phiG} * \text{Degree};$ 
 $\text{Plot}[yK /. \psi \rightarrow f\psi /. \text{par1}, \{\text{phiG}, 0, 360\}, \text{Frame} \rightarrow \text{True}, \text{GridLines} \rightarrow \text{Automatic},$ 
 $\text{AxesLabel} \rightarrow \{"\phi [\text{Grad}]", \text{None}\}, \text{PlotLabel} \rightarrow "yK", \text{PlotRange} \rightarrow \{\{0, 360\}, \text{Automatic}\}];$ 
 $\varphi = .;$ 

```



```

xKpar = xK /.  $\psi \rightarrow f\psi /. \text{par1};$ 
yKpar = yK /.  $\psi \rightarrow f\psi /. \text{par1};$ 
p1 = ParametricPlot[\{xKpar, yKpar\},  $\{\varphi, 0, 2\pi\}$ , PlotRange  $\rightarrow \{[-10, 40], [-10, 40]\}$ ,
Frame  $\rightarrow \text{True}$ , GridLines  $\rightarrow \text{Automatic}$ , PlotLabel  $\rightarrow \text{"Path of K in x-y-frame"}$ , AspectRatio  $\rightarrow \text{Automatic}\}];$ 
```

