

Satisfy the path of a coupler point K

System-Input: Crank motion

System-Output: Path of K

General Description

Given is a **path of points** in the x-y-plane as shown in Fig. 1 and Tab. 1. It belongs to a production machine, where point K of a link carries a glue tool which pastes glue to an object along the given path from point 6 to point 20 (bold values). The tangential velocity at these points should be approximately equal to the value $v_K = 10 \text{ cm/s}$. Points 1 through 5 and points 21 through 25 may not necessarily have to follow the given path.- i.e. the points for which the tool is not in contact with the object.

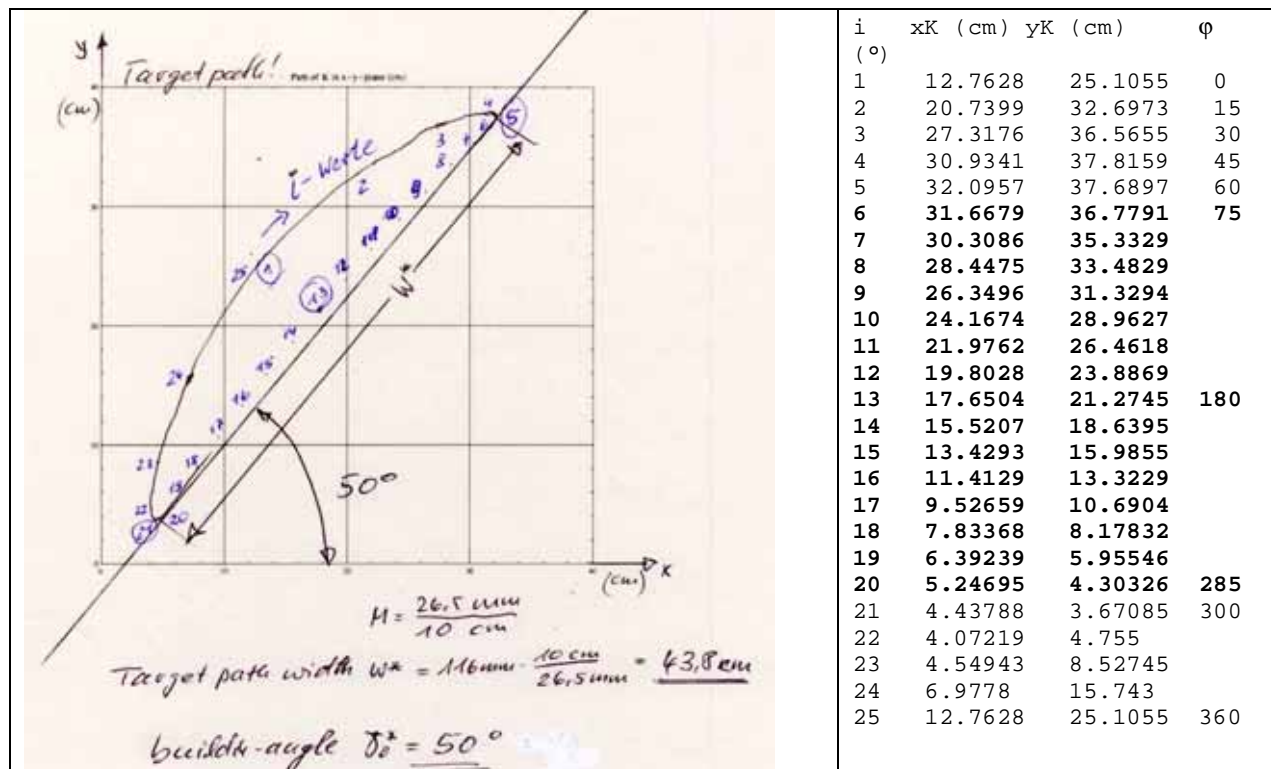


Fig 1: Path of K in x-y plane.

Tab. 1: xK and yK values of K and φ .

Problem 1:

For the described task please find a **crank rocker mechanism** with coupler point K that satisfies the given path as well as possible. Locate the mechanism in the x-y-Plane of the production machine.

Problem 2:

For the described task please find a **crank shaper mechanism** with coupler point K that satisfies the given path as well as possible. Locate the mechanism in the x-y-Plane of the production machine.

Solution

1) Overview

n_p is given by the related mechanism, n_R is found due to the list of points of K: here 2×25 and the general message $\varphi_{\text{init}} = 0$. So $n_R = 51$.

2) Graphical - first - solution based on less of points, see next pages.

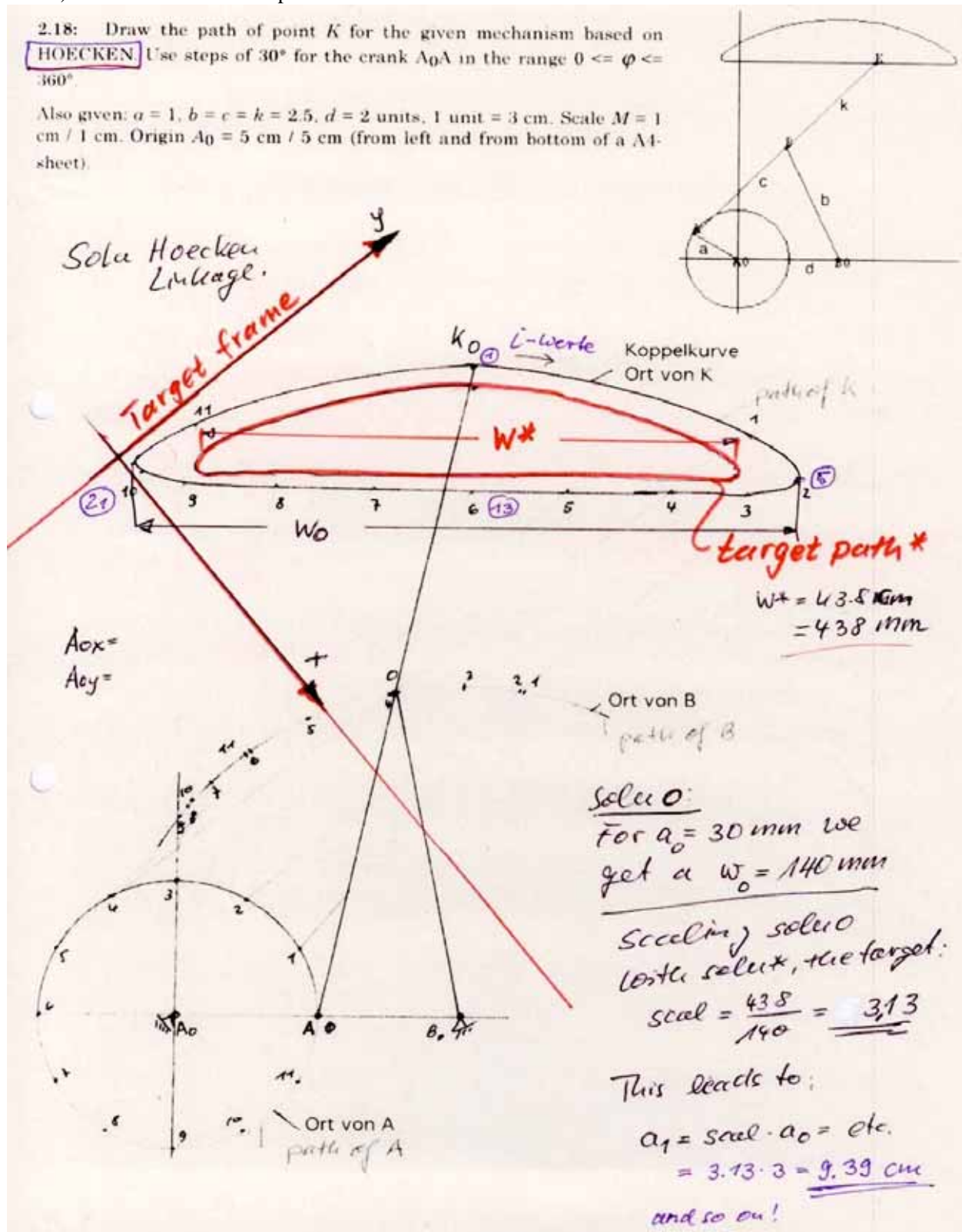
3) Numerical - second - solution (optimisation method), see Maple files

4) Post evaluations of all functions, see Maple files

5) Computation of velocity of point K and (const.) angular velocity of input crank, , see Maple files

6) Computation of a input torque due to a tang. force $F_g = 8 \text{ N}$ at K, , see Maple files

2 - P1) - for details see the maple files

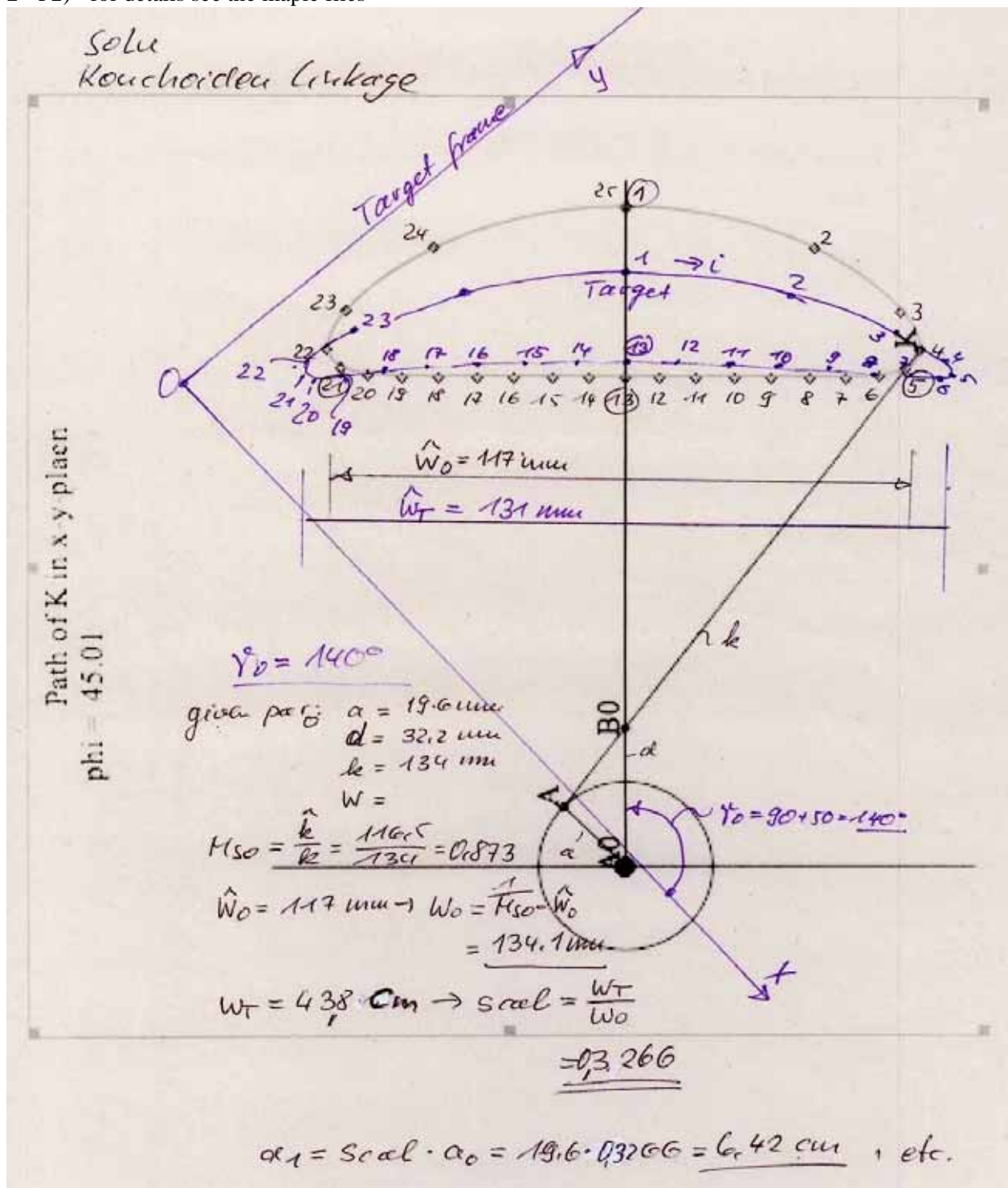


parsolu1 = [a = 9.385714287, b = 23.46428572, c = 23.46428572, d = 18.77142857, k = 46.92857144,
kappa = 0, gamma_0 = (5/18)*Pi, A0x = 34.99530614, A0y = -18.14571429];

For the optimisation, the points $:= [1, 5, 7, 9, 11, 13, 15, 21]$ are use:

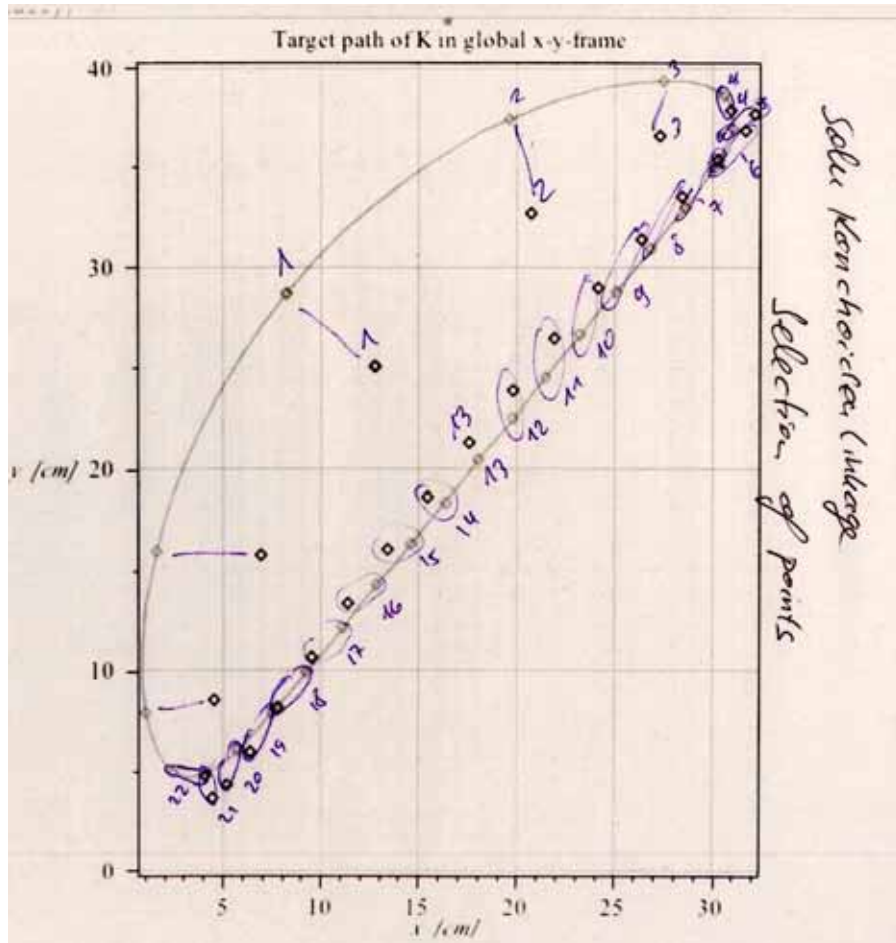
parolu2 = [A0x = 36.7418321560852519, A0y = -17.8919414632885534, a = 8.76450507026510550, b = 23.3962132958412887, c = 23.8695300240919046, d = 18.0270706502803826, gamma_0 = .849207617197620168, k = 47.2566613484212397, kappa = 0.627728277005953905e-1]

2 - P2) - for details see the maple files



parsolu1 = [a = 6.420733780, d = 10.52996420, k = 43.77419686, gamma0 = (7/9)*Pi, A0x = 46.70693512, A0y = -3.592841163]

For the optimization we have to synchronise the points of target K and the real points found for specific angles φ .



Herein I used the points = [21, 4, 5, 6, 8, 12, 16, 18, 19, 20] for optimisation. It leads to the results:

parsolu2 = [A0x = 46.8942264106864997, A0y = -3.89519642598157922, a = 4.99784151670588805, d = 8.33364233148796174, gamma0 = 2.45150231938922492, k = 43.7804571458663503].

Different points gives in various results.