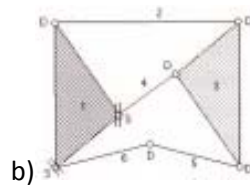
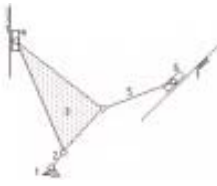


**2-1:**  $f=2$  ( $S_x, \phi_x; F_x, M_x$ )       $u=4$  ( $S_y=0, S_z=0, \phi_y=0, \phi_z=0; F_y, F_z, M_y, M_z$ )

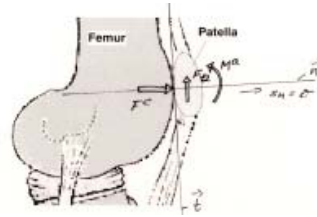
**2-2:**  $f=1$  ( $\phi_z; M_z$ )       $u=5$  ( $S_x=0, S_y=0, S_z=0, \phi_x=0, \phi_y=0; F_x, F_y, F_z, M_x, M_y$ )  
 alternatively:  $f=4$  ( $S_x, S_y, \phi_y, \phi_z$ )       $u=2$  ( $S_z=0, \phi_x=0$ ) (if ligaments are flexible)



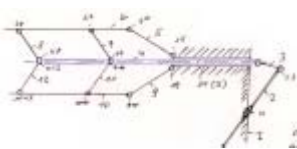
(Stephenson's chain)

c)  $F=1$

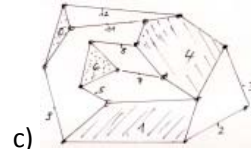
**2-3:** a)



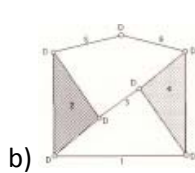
**2-4:** a) cam joint      b)  $f=2, u=1$       c)



b)  $b=1, n=12, g=16, F=1$



**2-5:** a)



c)  $b=3, n=6, g=7, F=1$

**2-6:** a)

**2-7:** a)  $f_3=4, u_3=2$       b) type  $D_3S$  (Kugelrohgelenk)

**2-8:** a)  $F=2$       b)  $DOF_1$ : rotation of crank 2 ( $\phi_2$ );       $DOF_2$ : rotation of crank 7 ( $\phi_7$ );

**2-9:** a)  $F=7$  (open loop)      b)  $F=2$  (closed loop)      c)  $DOF_1$ : turning of bolt;       $DOF_2$ : rotation of arm

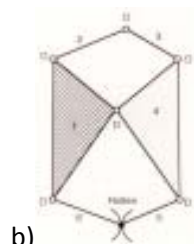
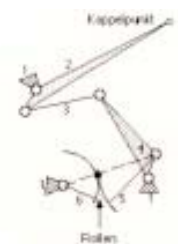
**2-10:** a)  $F_{platform}=6, f_{id}=4, \Rightarrow F_{real}=2$       b) 2 linkages must be added.

**2-11:**  $F=1$  (rotation of axle 2)

**2-12:** a) and b)  $F=1 \Rightarrow f_{34}=3$       c) spherical joint (links 3 + 4 are not allowed to be in a straight line!)

**2-13:**  $F_{real}=2$        $DOF_1$ : vertical motion of wheel       $DOF_2$ : steering of wheel

**2-14:**  $F=0, s=1, F_{real}=F+s=1$

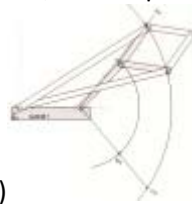


c)  $F=1$

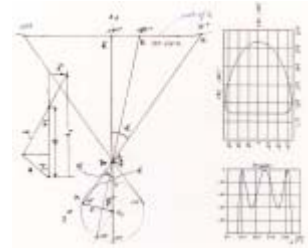
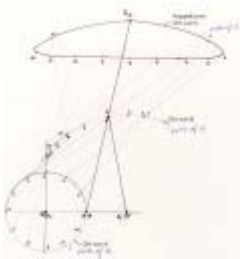
**2-15:** a)

**2-16:** a)  $F=6 * (8-1-9) + 15 = 3$  DOF      b)  $F=6 \Rightarrow$  a single rotation of an actuator is not possible!

**2-17:** a) 1.  $A_0ABB_0$  2.  $A_0CBB_0$  b) rocker mechanism, 2 dead positions, no full rotation of any links



c)  $n=8$ ,  $g=10$  (double hinges!),  $b=3 \Rightarrow F=1$  d)

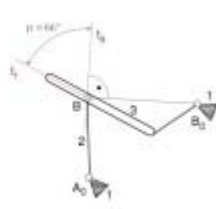
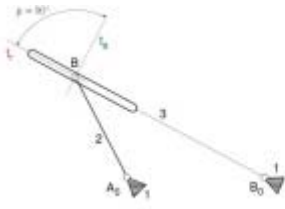
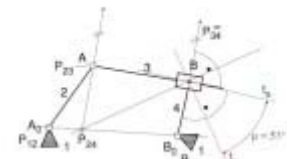
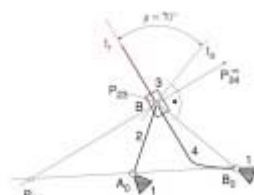
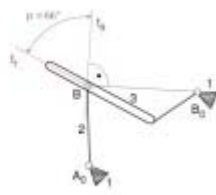
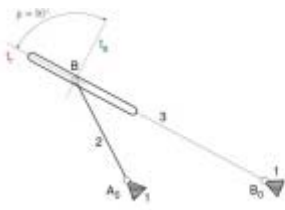


**2-18:**

**2-19:** a)  $a=19,658\text{mm}$ ,  $d=32,239\text{mm}$ ,  $k(AK)=134,021\text{mm}$ ,  $\phi=150^\circ$  b)

c)  $k_x = a \cdot \cos \phi + k \cdot \cos \psi$ ;  $k_y = a \cdot \sin \phi - k \cdot \sin \psi$ ;  $\Delta x = (k-a) - k_x$ ; (calculation with Mathematica or Maple)

**2-20:**



**2-21:** a)  $s_{(\phi)} = r \cdot \cos \phi + \sqrt{l^2 - (l + r \cdot \sin \phi)^2}$  b)  $\phi_a = -6,38^\circ$ ,  $s_a = 89,44\text{mm}$ ,  $\phi_i = 160,53^\circ$ ,  $s_i = 28,28\text{mm}$

c)  $\gamma_{(\phi)} = \arcsin((l + r \cdot \sin \phi)/l)$  d)  $\mu_{(\phi)} = 48,19^\circ$  e)  $x_k = A_{0x} + r \cdot \cos(\phi + \gamma_0) + k \cdot \cos(\kappa - \gamma + \gamma_0)$

$y_k = A_{0y} + r \cdot \sin(\phi + \gamma_0) + k \cdot \sin(\kappa - \gamma + \gamma_0)$

**2-22:** a)  $\psi = \pi - \sigma - \lambda$  [ $\sigma = \arctan(a \cdot \sin \phi / (d - a \cdot \cos \phi))$ ],  $\lambda = \arccos[e / (\sqrt{a^2 + d^2 - 2 \cdot a \cdot d \cdot \cos \phi})]$

b) dead point positions:  $\phi_a = 0$ ,  $c_a = \sqrt{(d-a)^2 - e^2}$ ,  $\phi_i = \pi$ ,  $c_i = \sqrt{(d+a)^2 - e^2}$

c) rocker angle (for  $\phi_0 = \phi_a - \phi_i$ ):  $\psi_a = \arccos((a-e)/d)$ ,  $\psi_i = \pi - \arccos((a+e)/d)$ ,  $\psi = \psi_i - \psi_a$

d) transmission angle:  $\mu = 3/2 \pi - \phi - \sigma - \lambda$

e)  $x_k = A_{0x} + a \cdot \cos(\phi + \gamma_0) + k \cdot \cos(\gamma_0 - \pi/2 + \psi + \kappa)$ ,  $y_k = A_{0y} + a \cdot \sin(\phi + \gamma_0) + k \cdot \sin(\gamma_0 - \pi/2 + \psi + \kappa)$

**2-23:** a)  $c_{(\phi)} = \sqrt{a^2 + d^2 - 2 \cdot a \cdot d \cdot \cos \phi}$

b)  $c_a = 30\text{mm}$ ,  $c_i = 90\text{mm}$ ,  $c_0 = 60\text{mm}$

c)  $\mu_a = \arccos(a^2 + c^2 - d^2) / (2 \cdot a \cdot c)$  bzw.  $\mu_a = 180^\circ - \arccos(a^2 + c^2 - d^2) / (2 \cdot a \cdot c)$

d)  $x_k = A_{0x} + a \cdot \cos(\phi + \gamma_0) + k \cdot \cos(\kappa - \sigma + \gamma_0)$ ,  $y_k = A_{0y} + a \cdot \sin(\phi + \gamma_0) + k \cdot \sin(\kappa - \sigma + \gamma_0)$